

**AS1001
STARS and
ELEMENTARY
ASTROPHYSICS**

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**STARS AND ELEMENTARY
ASTROPHYSICS**

- Synopsis
 1. Telescopes and Instruments
 2. Distances to Stars
 3. Electromagnetic Radiation
 4. Stellar Astrophysics
 5. Motions of Stars in Space
(Kutner's "Astronomy", parts of Chapters 1,2,3,4,5)

- ASTRONOMY
 - studies of the stars, and by extension,
 - studies of the Universe
- STARS
 - points of light in night-time sky
 - grouped into **CONSTELLATIONS**
(not usually physical groups - just chance projections of stars onto the sky as seen by us from Earth)
 - brighter and fainter stars
Hot stars blue, cool stars red

- STARS
 - how far away are they?
 - do they all have the same "intrinsic" brightness? **(NO!)**
 - how do we know what stars are?
 - is the Sun a star? **(YES!)**

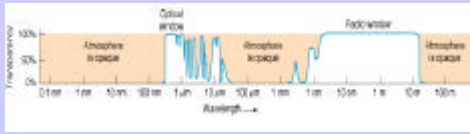
We use telescopes+associated instruments to measure starlight, and apply physics to build computer models of stars, to answer these questions.

[Concepts you will learn in Stars and Elementary Astrophysics are fundamental to the whole subject of astronomy. The ideas (e.g. distances, motions) apply to stars, extend to galaxies, and then the Universe, in other parts of AS1001.]

**1. TELESCOPES AND
INSTRUMENTS**

To collect and record electromagnetic radiation (light) from astronomical sources (planets, stars, nebulae, galaxies)

Transparency of the Earth's atmosphere to radiation



High energy
short wavelength

Low energy
long wavelength

Observing through the Earth's atmosphere

- 2 main "transparent" regions
 1. Optical Window - wavelengths λ 300-800 nm
(nm = nanometre = 10^{-9} m)
human eye λ 400-700 nm
violet - red
 2. Radio Window - wavelengths 1 mm - 20 m

The infrared region - (heat) - wavelengths 1 - 100 μ m
(μ m = micrometre = 10^{-6} m = micron)
- is only partially transparent due to water vapour
- best observed from dry high-altitude sites

Earth's atmosphere is OPAQUE to :
gamma-rays (γ -rays), X-rays, the ultraviolet (UV) region, and the far-infrared to millimetre regions of the electromagnetic spectrum.

Such radiation from astronomical sources is observable only above Earth's atmosphere - hence the need for spacecraft in orbit about the Earth.

OPTICAL & INFRARED RADIATION

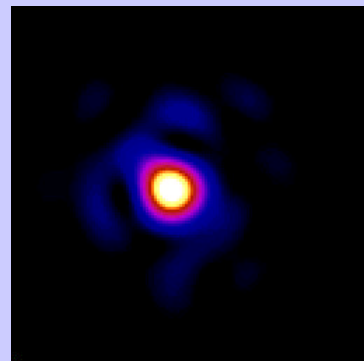
Effects of Earth's atmosphere

- SCINTILLATION
 - stars twinkle - turbulent layers of atmosphere, at different temperatures and densities, deflect the incoming light rays
 - extended objects - planets - twinkle less

Atmospheric effects



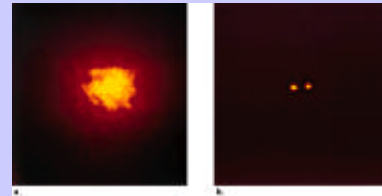
Scintillation = brightness changes
Seeing = angle changes



- a telescope collects light over a much larger area than the eye - hence reduces scintillation
- BUT the image of a point source seen through a telescope appears to be smeared, made up of vibrating speckles - a phenomenon called "SEEING"
- good seeing
 - image diameter ~ 1 arc second
 - (best conditions at sea level St Andrews ~ 2 arcsec
 - best astronomical sites ~ 0.5 arcsec
 - $1 \text{ arcsec} = 1/3600 \text{ degree} = 1 \text{ penny} / 4 \text{ km}$

spacecraft missions not affected (e.g. Hubble Space Telescope) - image diameter ~ 0.05 arcsecond

The seeing disc and the use of adaptive optics to unblur images



- Atmospheric EXTINCTION
- reduction in flux of radiation by scattering and absorption by atoms, molecules in the atmosphere
- scattering - randomize direction
- absorption - remove energy
- stronger effect at short wavelengths
- Hence blue sky, red Sun at sunrise/sunset.



Sun



Earth

- Best astronomical sites in world are above the main cumulus cloud layer (2000 m) and with very low rainfall ($< 250 \text{ mm yr}^{-1}$) and excellent seeing
 - perfect clear sky (no clouds) $\sim 70\%$ of year
 - useable conditions $\sim 95\%$ of year
- Mauna Kea, Hawaii (4000 m above sea level)
- La Palma, Canary Islands (2500 m)
- Northern Chile (2500 m)
- all remote from cities, light pollution, etc.

For RADIO ASTRONOMY

much less critical, except for interference from microwave ovens, electrical power lines, radio, television, mobile phones,

- UK: Jodrell Bank, Cambridge
- Netherlands
- Germany many large steerable dishes
- U.S.A. + large arrays
- Australia

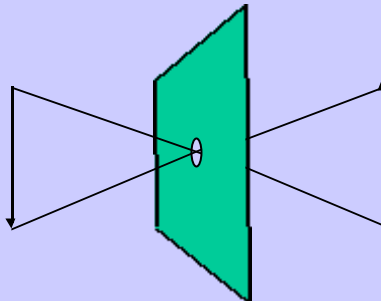
Optical and Infrared Telescopes

- collect light over a large area, to study very faint sources
- magnify the apparent angular size of sources, for better resolution
- accurate positions of sources in the sky

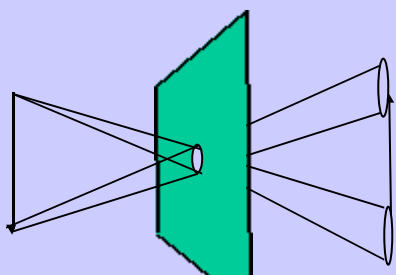
Pinhole camera images



Pinhole camera

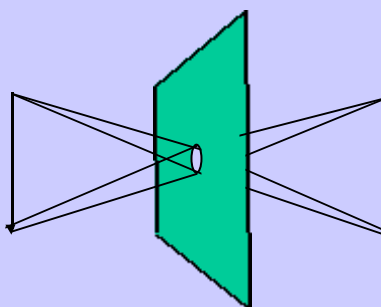


Problem with pinhole camera



Pinhole size blurs the image

Solution: insert a lens



How a lens works

By slowing light down

REFRACTORS



objective lens
+ eyepiece

largest:

1.0 m Yerkes (1888)

now obsolete

REFLECTORS

mirror systems
or
combinations of mirrors
and lenses

largest:

10.0 m Keck
(Hawaii 1992)

planned: 30m ELT
100m OWL

net result is the same:

an imaging system brings radiation from a distant source (parallel rays of light) to a focal plane where the image may be recorded directly or entered into an analysing instrument (including the eye)

Problems with Refractors

- Large lenses hard to make (more expensive).
- Lenses must be supported only on their rim.
- Lens focal length depends on wavelength.

All large telescopes today are reflectors.

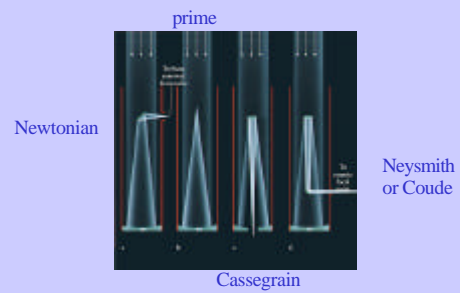
Aerial view of the summit of Mauna Kea, Hawaii



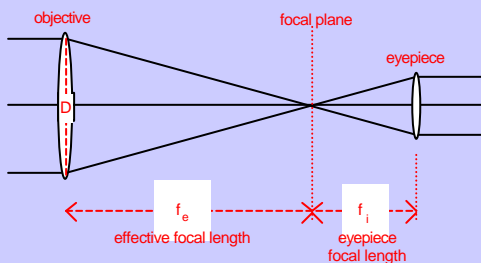
Keck 10-metre optical telescope



Various designs of reflector telescopes



Telescope Optics



telescope aperture = diameter D of objective

• **FOCAL RATIO** $n = f_e/D$, written as f/n

e.g. $D = 100 \text{ cm}$, $f_e = 300 \text{ cm}$, f ratio is $f/3$

$f_e = 2000 \text{ cm}$, $f/20$

the f ratio measures how rapidly the beam converges to a focus

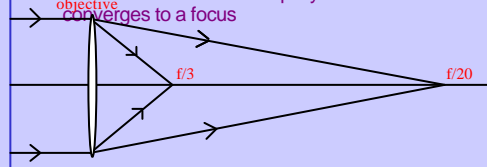


Image of an extended source

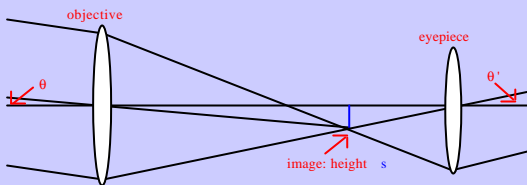
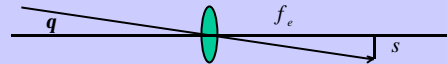


Image size



$$s = f_e \tan q \cong f_e q$$

- **example** $f_e = 300 \text{ cm}$
 $q = 1 \text{ arcmin} \times \frac{1^\circ}{60 \text{ arcmin}} \times \frac{\partial \text{radian}}{180^\circ}$
 $s = 300 \text{ cm} \times \frac{1^\circ}{60 \text{ arcmin}} \times \frac{\partial \text{radian}}{180^\circ} = 0.087 \text{ cm}$
- **example 2**
 $f_e = 3000 \text{ cm}$ $q = 1 \text{ arcmin}$ $s = 0.87 \text{ cm}$

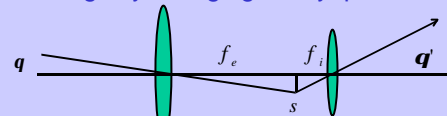
f ratio and image size:



- small $f \Rightarrow$ small images
- large $f \Rightarrow$ large images
- **Fast / Slow optical systems**
FAST (small f) concentrates light into small image.
 -- short exposure times
 -- wide field of view
SLOW (large f) spreads light over larger image.
 -- longer exposure times needed
 -- narrow field of view

Magnification

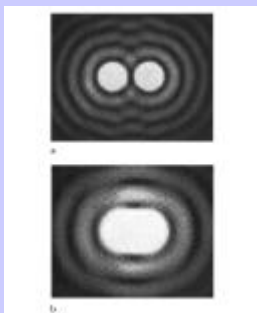
- change by changing the eyepiece



$$\text{magnification} = \frac{q'}{q} \cong \frac{s/f_i}{s/f_e} = \frac{f_e}{f_i}$$

$$= \frac{\text{effective focal length}}{\text{eyepiece focal length}}$$

Resolving a double star



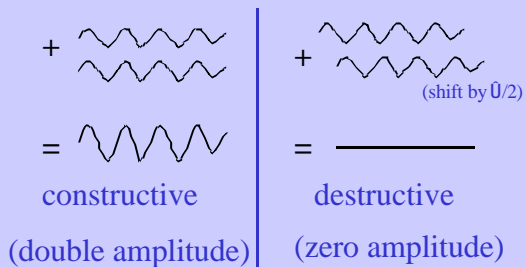
Angular Resolution

- the minimum angular separation of two sources on sky that may be seen as two separate sources in telescope
- seeing limit (e.g. 1 arcsec)
- diffraction limit (e.g. $1/D$ radians)
 (caused by diffraction at edge of telescope aperture)

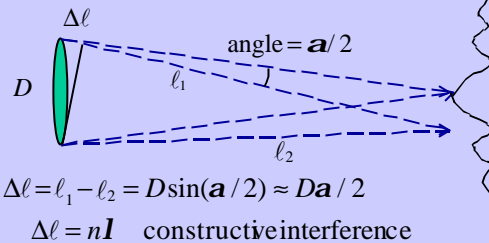


Airy pattern:

Interference of light waves



Diffraction limit



$$\Delta \ell = \ell_1 - \ell_2 = D \sin(a/2) \approx D a / 2$$

$$\Delta \ell = n \lambda \quad \text{constructive interference}$$

$$\Delta \ell = (n + \frac{1}{2}) \lambda \quad \text{destructive}$$

$$a \approx \lambda / D$$

- "diffraction-limited" image typically < 0.1 arcsec at optical wavelengths
- Rayleigh's criterion: angular resolution

$$a = 1.22 \frac{\lambda}{D} \text{ radians} \approx 2.5 \times 10^5 \frac{\lambda}{D} \text{ arcsec}$$

Note: D and λ in the same units

D = diameter of aperture (main mirror) of telescope

λ X500 nm (wavelength of optical light)

$\lambda \sim 1$ arcsec for $D \sim 0.125$ m.

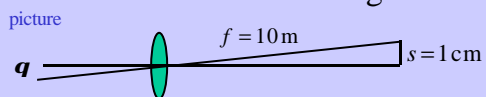
X0.03 arcsec for $D \sim 4$ m.

At Radio Wavelengths

$$\lambda_{\text{radio}} = 20 \text{ cm} \sim 400,000 \lambda_{\text{optical}}$$

- For 1 arcsec resolution,
 - need $D \sim 50$ km!
 - (not very realistic)
- Solution: INTERFEROMETRY (later)

Problem Solving



equation $s = f \sin q \approx f q$

rearrange $q = s / f$ check dimensions

numbers with units $q = \frac{1 \text{ cm}}{10 \text{ m}} \times \frac{1 \text{ m}}{100 \text{ cm}} = 10^{-3}$ radians

factors to change units $\times \frac{180^\circ}{\text{radians}} \times \frac{60 \text{ arcmin}}{1^\circ} = 3.4 \text{ arcmin}$ calculate

Problem Solving

1. Draw a simple picture (label with symbols)
2. Write an equation (check dimensions)
4. Re-arrange the equation
5. Insert numbers with units
6. Multiply by factors to obtain correct units
7. Does the result make sense?

Astronomical Instruments

Measure properties of incoming light



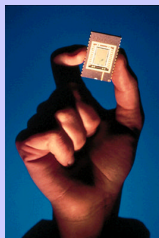
- Imaging - direction
- Photometry - brightness
- Spectroscopy - wavelengths
- Polarimetry - linear/circular polarisation
- Timing - variations in all of the above

- **direct cameras:** record an image of an area of sky with stars, galaxies, ...
 - Schmidt telescopes:
f/2 - f/3, large fields $6^\circ \sim 6^\circ$
 - photographic plates
 - reflectors: prime focus $\sim f/3$
Cassegrain focus $\sim f/10$
fields $< 1^\circ$, better image scale
 - electronic detectors (CCDs)

- **photographic plates**
 - glass coated on front side with photographic emulsion
 - large area (e.g. 35×35 cm) 😊
 - low efficiency (1-2%) 😞
98% of light not recorded
 - negatives digitized by laser scanner
 - e.g. Palomar Digital Sky Survey
 - UK Schmidt Telescope Survey

- **electronic detectors**
 - Charge-Coupled Device (CCD)
 - silicon chip; array of light-sensitive squares - PIXELS (+readout electronics)
 - pixel size $\sim 15 \times 15 \mu\text{m}$
 - format $\sim 1024 \times 1024$ pixels
up to 4096×4096 pixels
 - small area : postage stamp 😞
 - $\sim 75\text{-}90\%$ efficiency 😞
 - digital images read direct from CCD
 - expensive

A Charge-Coupled Device, CCD

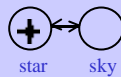


- **photometry** :

- measure apparent brightnesses of sources
- filters select a range of wavelengths
- narrow~1 nm broad~100 nm

- **photomultiplier tube**

- ~20% efficiency
- counts individual photons
- high speed (e.g. milliseconds)
- one star at a time
- (focal plane pinhole)

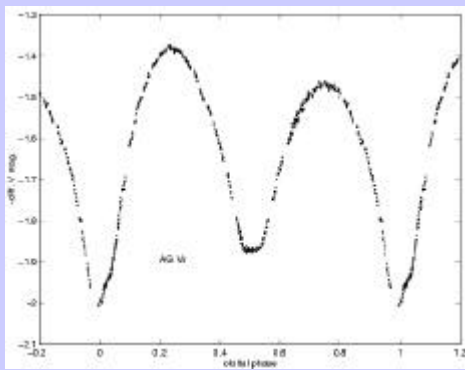


- **CCD camera:**

- < 1% accuracy
- >10s time resolution
- ~10,000 sources per CCD image

- **digitized photographic plates**

- 5-10% accuracy
- exposure time ~ hours
- millions of sources per Schmidt plate



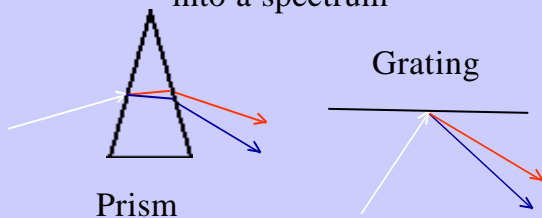
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- **spectroscopy:**

- spectrograph / spectrometer with prism or diffraction grating to disperse light into a spectrum
- record spectrum with a CCD

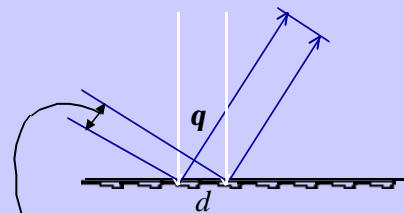
- (**polarimetry, spectropolarimetry** use instruments together with a polariser)

Dispersing light into a spectrum



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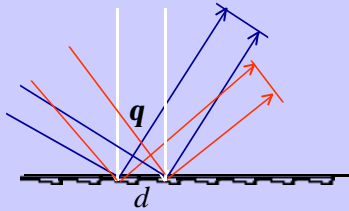
Diffraction Grating



Constructive interference if
 $path\ difference = d \sin q = m\lambda$

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Diffraction Grating

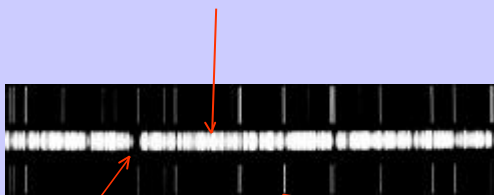


Constructive interference if
 path difference $= d \sin q = m\lambda$

A typical spectrograph



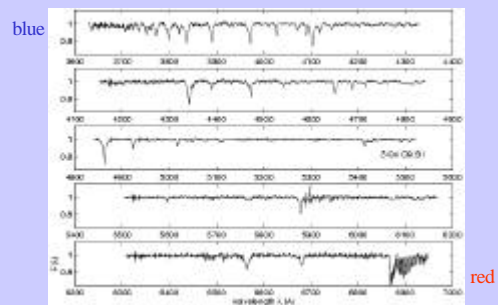
Spectrum of a star



Absorption lines from
 star's atmosphere

emission lines from a
 calibration source

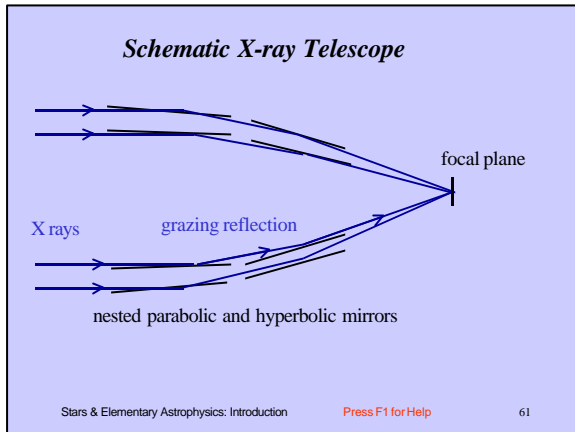
Spectrum of a star



- **Ultraviolet studies** - from satellites
 - reflecting telescopes with smoother mirrors
 - CCDs not sensitive to ultraviolet, so use photon-counting electronic detectors
 - **Hubble Space Telescope (HST)**
 - 0.05 arcsec resolution (after repair!)
 - 2.4 metre diameter mirror
 - UV spectrometer; direct imaging
 - (also optical and infrared)
 - EUVE = Extreme UltraViolet Explorer
 - FUSE = Far UltraViolet Explorer

Telescopes and detectors for high-energy radiation

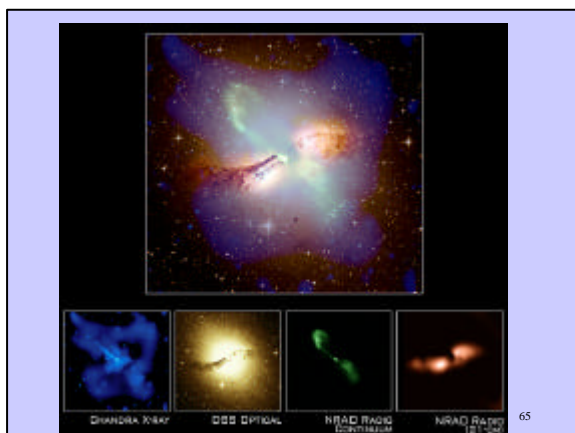
- gamma rays - **g** rays - $\lambda < 0.01 \text{ nm}$ (10^{-11} m)
- X-rays -- hard: $\lambda \sim 0.01 - 0.1 \text{ nm}$
 soft: $\lambda \sim 0.1 - 10 \text{ nm}$
- **PROBLEM:**
 - will not reflect from ordinary mirrors
 - nested rings of highly polished mirrors using GRAZING REFLECTION

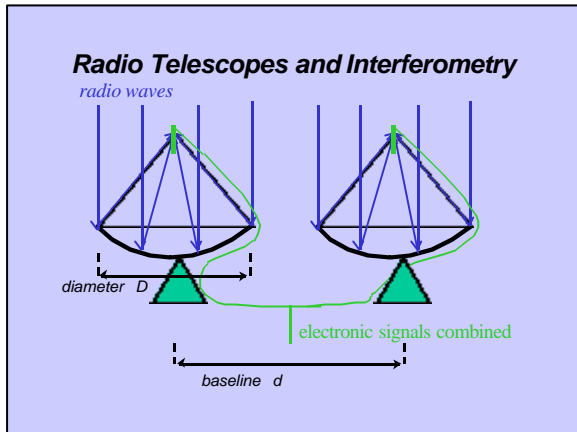


- detectors:
 - γ-rays
 - scintillation detectors (e.g. NaI crystal)
 - several layers convert γ-rays by photoelectric effect into visible light detectable by photomultiplier
 - X-rays
 - now mainly solid-state detectors like CCDs
 - hence measurable current of electrons proportional to X-ray flux density

- recent satellites for high-energy radiation studies:
 - Compton gamma-ray observatory - 1991
 - ROSAT (Röntgen satellite) - X-ray studies - 1992
 - YOKHOH - X-ray studies of the Sun - 1993
 - RXTE (Rossi X-ray timing explorer) - 1996
 - Chandra - X-ray spectroscopy - 1999
 - XMM-Newton - X-ray imaging - 1999

- ### Multi-Wavelength Astrophysics
- gamma-ray --- relativistic gas ($> 10^9$ K)
 - x-ray ----- hot gas (10^{6-8} K)
 - ultraviolet ----- hot stars (10^{4-5} K)
 - optical ----- cool stars (10^{3-4} K)
 - infrared ----- cool gas, dust (10–100 K)
 - millimetre ----- Big Band afterglow (3 K)
 - radio ----- non-thermal radiation
- Each wavelength gives a different picture**
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Resolution of Radio Telescope

diameter $D = 20 \text{ m}$

$$\frac{\theta}{D} \approx \frac{20 \text{ cm}}{20 \text{ m}} \times \frac{1 \text{ m}}{100 \text{ cm}} \times \frac{180^\circ}{\pi \text{ radian}} = 0.6^\circ$$

Resolution of Radio Interferometer

baseline $d = 20 \text{ km}$

$$\frac{\theta}{d} \approx \frac{20 \text{ cm}}{20 \text{ km}} \approx \frac{0.6^\circ}{1000} \times \frac{3600 \text{ arcsec}}{1^\circ} = 2 \text{ arcsec}$$

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Very Long Baseline Interferometry

VLBI

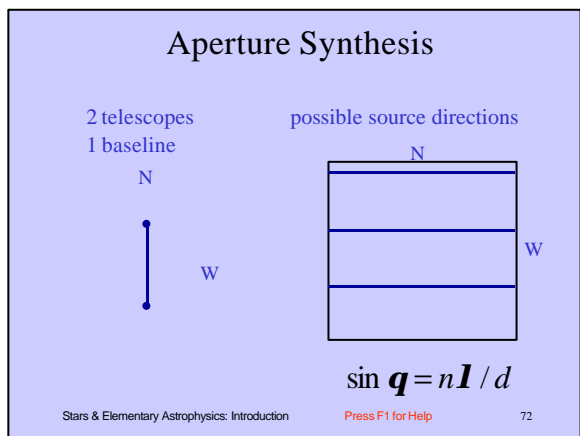
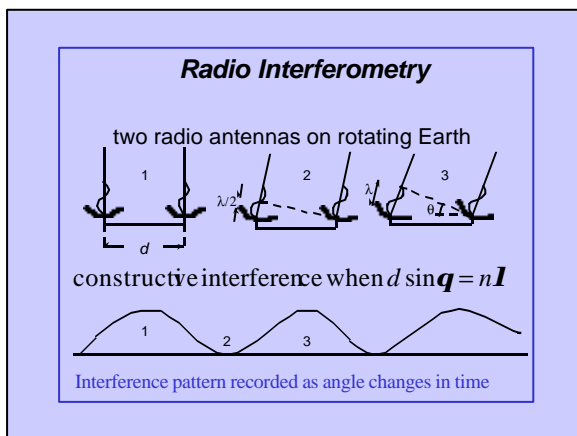
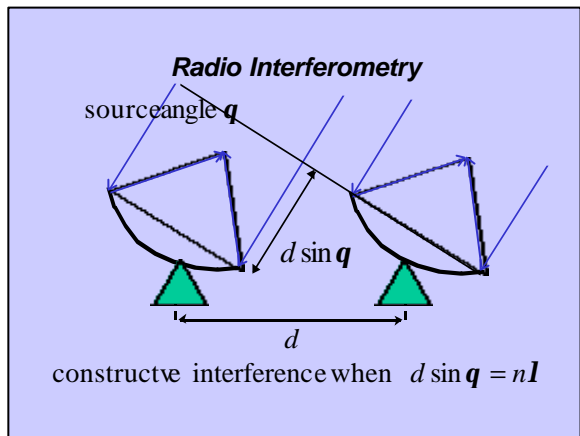
Linked Radio Telescopes across the Globe

longest baseline $d \approx 10^4 \text{ km}$

$$\frac{\theta}{d} \approx \frac{20 \text{ cm}}{10^4 \text{ km}} \times \frac{1 \text{ km}}{10^5 \text{ cm}} \times \frac{180^\circ}{\pi \text{ radian}} \times \frac{3600 \text{ arcsec}}{1^\circ}$$

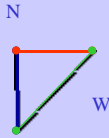
$= 0.004 \text{ arcsec} = 4 \text{ milliarcsec}$

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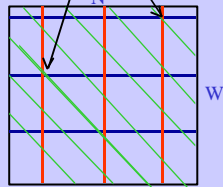
Aperture Synthesis

3 telescopes
3 baselines



N telescopes
 $N(N-1)/2$ baselines
less and less ambiguity

possible source locations



$$\sin q_{1,2,3} = n\lambda / d_{1,2,3}$$

examples:

- **UK MERLIN**
(Jodrell Bank, Cambridge, Rutherford Lab.)
 - resolution - 0.01 arcsec
- **USA Very Large Array (VLA)**
 - Y-shaped array, each arm up to 21 km long, effective diameter 35 km
 - ~ 0.1 arcsec
- **Very Long Baseline Interferometry (VLBI)**
 - (Australia, Europe, USA, ...)
 - needs synchronised, highly accurate timing, major data storage and computer processing
 - ~ 0.1 milliarcsec

Optical /Infrared Aperture Synthesis

very difficult because wavelengths much shorter.

$$\frac{\lambda}{d} \approx \frac{5 \times 10^{-7} \text{ m}}{100 \text{ m}} \times \frac{2 \times 10^5 \text{ arcsec}}{\text{radian}} = 0.001 \text{ arcsec}$$

European Southern Observatory (ESO)

- Very Large Telescope Interferometer (VLTI)
- Four 8 metre telescopes (now)
- + many 1.5m telescopes (soon)

